## MATHEMATICS 2300: Analytic Geometry and Calculus 2

Instructor: H. G. Ellis
Office: 310 Mathematics
Office hours: MTW 3:30-4:15; other times by appointment.
Text: Calculus (John Wiley \& Sons), Hughes-Hallett, Gleason, McCallum, et al.
Homework: 30\%. WeBWorK: 10\%. Recitation: $10 \%$. Two midterm exams: $30 \%$. Final exam: $20 \%$.
Homework once a week to be turned in at the beginning of the recitation class.
Attendance (and nonattendance) will be noticed.
Links: (to be clicked on, or entered into browser if clicking doesn't work)

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http://math.colorado.edu/~sbc21/courses/12spring/2300/2300syllabus.html
http://math.colorado.edu/~sbc21/courses/12spring/2300/2300hw.html
| http://euclid.colorado.edu/~}wayned/webworks.html
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$===========$ Understanding this will clarify your thinking immeasurably. $============$
Most students cannot say explicitly what " $\mathrm{x}=\mathrm{y}$ " means. Here is the only correct definition:

$$
\text { " } \mathrm{x}=\mathrm{y} \text { " means "x is a name for the same thing that } \mathrm{y} \text { is a name for". }
$$

From this definition the following three propositions follow easily (think about it):

- If x is a name for a thing, then $\mathrm{x}=\mathrm{x}$.
- If $x=y$, then $y=x$.
- If $x=y$ and $y=z$, then $x=z$.

Note that $\mathrm{x}=\mathrm{y}$ can be false, and that when $\mathrm{x}=\mathrm{y}$ is true, there is only one named thing involved. When you read something like "The numbers $x$ and $y$ are equal", understand that what is meant is that the names $x$ and $y$ refer to the same one number.

